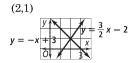
7. How solutions are determined may vary (graphing or using a table). Graphing samples are given.



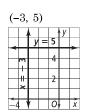
8. How solutions are determined may vary (graphing or using a table). Graphing samples are given.



9. How solutions are determined may vary (graphing or using a table). Graphing samples are given.

(-2, 4)

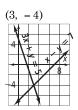
10. How solutions are determined may vary (graphing or using a table). Graphing samples are given.



11. How solutions are determined may vary (graphing or using a table). Graphing samples are given.

no solution

12. How solutions are determined may vary (graphing or using a table). Graphing samples are given.

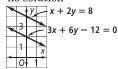


- 13. 2 small; 4 large
- 14. 3 one-pound bags; 2 three-pound bags
- 15. Models may vary. Sample: Use 0 for 1970. $\begin{cases} y = 0.22x + 67.5 \\ y = 0.15x + 75.507 \end{cases}$ Around 2085, the quantities will be equal.
- 16. Models may vary. Sample: Use 0 for 1980. $\begin{cases} y = 0.232x + 1.328 \\ y = 0.145x + 3.673 \end{cases}$ Around 2007, the quantities will be equal.
- 17. dependent
- 18. inconsistent
- 19. inconsistent
- 20. independent
- 21. independent
- 22. inconsistent
- 23. dependent
- 24. independent
- 25. independent
- 26. independent
- 27. dependent
- 28. inconsistent
- 29. infinitely many solutions 3 = 4y + x + 3

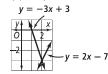
30. $\left(4, \frac{5}{2}\right)$



31. no solution



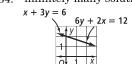
32. (2, -3)



33. $\left(-\frac{1}{22}, \frac{9}{11}\right)$



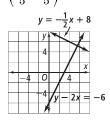
34. infinitely many solutions



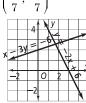
35. (6, 4)



36. / 28

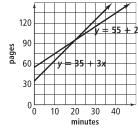


37. $\left(\frac{12}{2}, \frac{18}{2}\right)$



- 38. inconsistent
- 39. dependent
- 40. inconsistent

41.



After 20 minutes, you and your friend will have read the same number of pages. $\,$

$$c = 25h$$

$$42a. \quad c = 20h + 10$$

42b.



The cost would be the same for 2 hours of instruction.

- 42c. The campus that charges \$20 per hour plus a one-time registration of \$10 would be cheaper for 10 hours of practice (\$210 versus \$250).
- 43. (4, -2)
- No; they would be the same line, and the system would be 44 · dependent and consistent.
- 45. An independent system has one solution. The slopes are different, but the *y*-intercepts could be the same. An inconsistent system has no solution. The slopes are the same and the *y*-intercepts are different. A dependent system has an infinite number of solutions. The slopes and *y*-intercepts are the same.
- 46. sometimes
- 47. sometimes

- 48. never
- 49. never
- Answers may vary. Sample:
- 3x + 4y = 12
- Answers may vary. Sample:
- 51. 5x + 2y = 5
- 52. Answers may vary. Sample:

$$-10x + 2y = 4$$

$$5x - y = -2$$

- 53. They are equivalent equations.
- 54a. The independent variable is p, and the dependent variable is n.
- 54b. n = -1600p + 14,800
- 54c. n = -6000p + 32,000
- The equilibrium point is about (3.91, 8545). Profits are maximized if about 8545 widgets are sold for about \$3.91 each.
- 55. A
- 56. G
- 57. C
- 58. Write the equations in slope-intercept form.
 - Let $x = \text{number of } 5 \times 7 \text{ prints}$
 - let y = number of 4×6 prints

$$x + y = 6$$
$$y = -x + 6$$

$$1.75x + 0.25y = 7.5$$
$$y = -7x + 30$$

Enter the equations in your calculator and view the table.

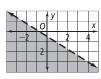
Adjust the x-values until you see $y_1 = y_2$. When x = 4,

 $y_1 = y_2 = 2$. So Amy ordered two 4×6 prints.

50







- 61
 - 31.
- 62. $n < -\frac{8}{7}$
- 63. $x \ge -\frac{29}{2}$ or -14.5
- 64. $x > \frac{5}{8}$
- 65. 2
- 66. $-\frac{3}{5}$
- 67. 2
- 68. 10
- 69a. -3
- 69b. 8
- 69c. -10

Algebra 2 Lesson 3-2 - Practice and Problem-Solving Exercises Answers

| | Algebra 2 Lesson 3-2 - Practice and Problem-Solving Exercises Answers | | |
|------|---|-----|--|
| 10. | (0.5, 2.5) | 29. | (1, 1) |
| 11. | (-2, 4) | 30. | (2, -1) |
| 12. | (20, 4) | 31. | infinite number of solutions; $\{(x,y) \mid -2x + 3y = 13\}$ |
| 13. | (0.75, 2.5) | 32. | infinite number of solutions; $\{(a,d) \mid -3a+d=-1\}$ |
| 14. | (10, -1) | 33. | (3, 2) |
| 15. | (8, -1) | 34. | no solution |
| 16. | (-6, -9) | 35. | (5, 4) |
| 17. | (-2, -5) | 36. | no solution |
| 18. | (-6, -6) | 37. | $\left(\frac{20}{17}, \frac{19}{17}\right)$ |
| 19. | seven \$1-bills; eight \$5-bills | 38. | (-3, 2) |
| 20a. | Let $m =$ number of multiple choice and $r =$ number of extended response, then | 39. | (4, 1) |
| | $\begin{cases} m+r=20\\ 2m+6r=60 \end{cases}$ | 40. | (1, 3) |
| 20b. | 15 multiple choice; 5 extended response | 41. | no solution |
| 21. | 3 vans and 2 sedans | 42. | (1, -4) |
| 22. | (7, 5) | 43. | 10 deliveries |
| 23. | (2, 4) | 44. | (-6, 30) |
| 24. | (-1, 3) | 45. | (4, -3) |
| 25. | (2, -2) | 46. | $\left(-1, -\frac{1}{2}\right)$ |
| 26. | (-2, -4) | | |
| 27. | (4, 1) | | (-3, 4) |
| 28. | (0, 3) | 48. | (6, 4) |

28. (0, 3)

- 49. (300, 150)
- 50. (-235, -5.8)
- 51. (0.5, 0.25)
- 52. $\left(\frac{5}{2}, -\frac{3}{8}\right)$
- 53. Error in 5th line: -4(-7-x) = 28 + 4x not -28 4xLines 5-9 should be:

$$3x + 28 + 4x = 14$$

$$7x = -14$$

$$x = -2$$

$$y = -7 - (-2)$$

$$y = -5$$

- 54. 200 muffins
- 55. Answers may vary. Sample:

$$\begin{cases} -3x + 4y = 12 \\ 5x - 3y = 13 \end{cases}$$
(8, 9)

- $56. \ \ \, 4$ ml of 20% sulfuric acid solution and 2 ml of 50% sulfuric acid solution
- 57. In determining whether to use substitution or elimination to solve an equation, look at the equations to determine if one is solved or can be easily solved for a particular variable. If that is the case, substitution can easily be used. Otherwise, elimination might be easier.
- 58. A
- 59. Substitution; the second equation is solved for y; (-7, -26).
- 60. Elimination; 2x would be eliminated from the system if the equation were subtracted; $\left(9\frac{1}{2}, 5\right)$.
- 61. Elimination; substitution would be difficult since no coefficient is 1 in the original system. Dividing the first equation by 3 and dividing the second equation by 5 results in an equivalent system where *y* would be eliminated from the system if the equations were subtracted; (-1, -3).
- 62. 2875 votes
- 63. yes, -40 degrees

- **64**. **–**2
- 65. 0
- 66. 8
- 67. 2
- 68. 5
- 69. 6
- 70. 2
- 71. 4
- 72. no solution



73. infinite number of solutions: $\{(x, y) | -9x - 3y = 1\}$

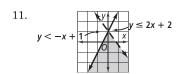


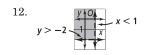
74. no solution



- 75. function
- 76. function
- 77. not a function
- 78. $\begin{array}{c} x < -1 \\ & -3 2 1 & 0 & 1 \end{array}$
- 79. $x > -\frac{1}{2}$
- 80. y < 1

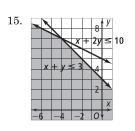
- 8. (0, 4),(0, 5),(0, 6),(0, 7),(0, 8)
- 9. (0, 0), (0, 1), (0, 2), (0, 3), (0, 4), (0, 5), (0, 6), (0, 7), (1, 0), (1, 1), (1, 2), (1, 3), (1, 4), (1, 5), (1, 6), (2, 0), (2, 1), (2, 2), (2, 3), (2, 4), (2, 5), (3, 3), (3, 4)
- 10. no solution



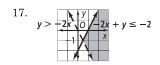




14. no solution -6x + 2y > 5y y = 3x + 1 -2x = 1/2





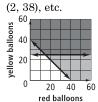


- 3. 12^{+C} $8 \quad C \leq \frac{1}{2}d + 3$ $4 \quad C \geq d 3$
- 19. no solution

balloons.

 $r + y \ge 40$ $y \ge 25$ Because the number of balloons must be a whole number, only the points in the overlap that represent whole numbers are solutions of the problem; i.e. (0, 40), (0, 41), (1, 39), (1, 40),

20. Let y = number of yellow balloons and r = number of red

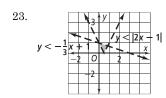


21. Let r = number of rose plants and t = number of tulip plants. $t + r \ge 50$ $r \le 20$

Because the number of plants must be a whole number, only the points in the overlap that represent whole numbers are solutions of the problem.



22. y > 4



24. $y \ge |x + 2| y$

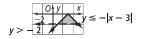
25.



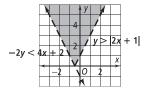
26.



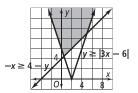
27.



28.



29.



30.



31. (0, 4), (0, 5), (0, 6), (1, 3), (1, 4), (1, 5), (2, 3), (2, 4); the sum of the servings must be greater than or equal to 4 and less than or equal to 6.



32. ① $x + y \le 1600$

33. Answers may vary. Sample verbal score:

① x < 5

②
$$y \ge 1$$



34. Answers may vary. Sample:

If the isolated variable, y, is greater than the remaining expression, the half-plane above the boundary line is shaded. If the variable is less than the remaining expression, then the half-plane below the line is shaded.

Use test points that are not on either of the boundary lines and that make the calculations as easy as possible, e.g. the origin.

36. A, C

37. A, B

38. A, C

39. A, B

40. A, C

41. B, C

42. A, B, C

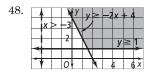
43. A

44. B, C

45. A









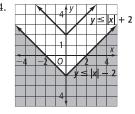






53.
$$\bigcirc y > |x-1|+1$$
 $\bigcirc y \le -|x-3|+4$
 $y > |x-1|+1$

54.



$$\begin{cases} y \ge |x| - 2 \\ y \le -|x| + 2 \end{cases}$$

$$\begin{cases} y \le 3 \\ y \ge 0 \\ y \le 3x + 9 \\ y \le -3x + 9 \end{cases}$$

57.
$$\begin{cases} y \le 4 \\ y \ge 0 \\ y \le 2x \\ y \ge 2x - 8 \end{cases}$$

58a.



58b. Answers may vary. Sample:

$$\left| \begin{vmatrix} y \end{vmatrix} \le \frac{1}{2} \right|$$

$$\left| |x| \le 2 \right|$$

- 59. C
- 60. H
- 61. B

62. Let x = number of hours

$$30x = 20x + 40$$
$$30x - 20x = 40$$
$$10x = 40$$
$$x = 4$$

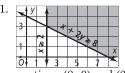
- 63. (-9, -26)
- $64. \ \left(\frac{23}{14}, -\frac{13}{14}\right)$
- 65. no solution
- 66. (-2, -1)
- 67. (-1, 2)
- Answers may vary. Sample: 69. (0, 3)
- 70. Answers may vary. Sample: (0, 3)
- Answers may vary. Sample: 71. (2, -1)
- Answers may vary. Sample: 72. (1, -1)

10.



vertices: (0, 0), (5, 0), (2, 6), (0, 8) maximized at (5, 0)

11.



vertices: (8, 0) and (2, 3) minimized at (8, 0)

12.



vertices: (2, 1), (6, 1), (6, 2), (3, 5), (2, 5) maximized at (6, 2)

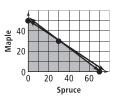
13a. Let s = number of spruce trees and m = number of maple trees.

$$\begin{cases} 30s + 40m \le 2100 \\ 600s + 900m \le 45,000 \end{cases}$$

 $s \ge 0, \ m \ge 0$

13b. P = 650s + 300m

13c.



13d. 70 spruce trees and 0 maples trees

14. Let *x* = number of Type I samples and *y* = number of Type II samples.

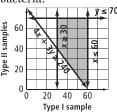
$$\int 4x + 3y \ge 240$$

$$30 \le x \le 60$$

$$y \le 70, \ x \ge 0, \ y \ge 0$$

$$C = 5x + 7y$$

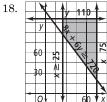
The implicit constraints are $x \ge 0$, $y \ge 0$. C = 300 and is minimized at (60, 0); the biologist should use zero Type II bacteria.



- He is not considering the constraint $y \le x + 3$; maximize when P = 11 at (1, 4).
- 16 3 trays of corn muffins and 2 trays of bran muffins

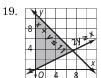


vertices: (0, 0), (1, 4), (0, 4.5), $\left(\frac{7}{3}, 0\right)$; maximized when P = 6 at (1, 4)



vertices: (75, 20), (75, 110), $\left(25, 86\frac{2}{3}\right)$, (25, 110);

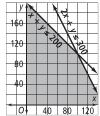
minimized when $C = 633\frac{1}{3}$ at $\left(25, 86\frac{2}{3}\right)$



vertices: $(0, 0), \left(7\frac{1}{3}, 3\frac{2}{3}\right), (0, 11);$

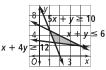
maximized when $P = 29\frac{1}{3}$ at $\left(7\frac{1}{3}, 3\frac{2}{3}\right)$





vertices: (0, 0), (150, 0), (100, 100), (0, 200); maximized when P = 400 at (0, 200)

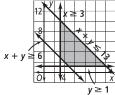
21.



vertices: $\left(\frac{28}{19}, \frac{50}{19}\right)$, (4, 2), (1, 5);

minimized when C = 67,368 at $\left(\frac{28}{19}, \frac{50}{19}\right)$

22.



vertices: (3, 3), (3, 10), (5, 1), (12, 1); maximized when P = 51 at (12, 1)



vertices: $(0, 60), (23\frac{1}{3}, 13\frac{1}{3}), (50, 0);$

minimized when $x = 23\frac{1}{3}$ and $y = 13\frac{1}{3}$;

Round to (23, 14) and (24, 13); (24, 13) gives a minimum cost of \$261

Answers may vary. Sample:

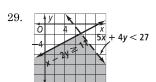
- (4, 6), (6, 5), (9, 3.5), (10, 3)
- 25. C
- 26. I



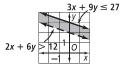
vertices: (0, 0), (2, 0), (0, 3) and (1, 2)

28.





30.



- 31. 1
- 32. -34
- 33. 24
- 34. 65
- 35. (0, 6), (-3, 0)
- 36. (0, 4), (18, 0)
- 37. (0, -1), (1, 0)

Algebra 2 Lesson 3-5 - Practice and Problem-Solving Exercises Answers

$$10. (0, 2, -3)$$

$$11. (2, 1, -5)$$

13.
$$\left(\frac{1}{2}, -3, 1\right)$$

$$14. (0, 3, -2)$$

18.
$$\left(-\frac{122}{11}, \frac{72}{11}, \frac{71}{11}\right)$$

19.
$$\left(-\frac{10}{13}, -\frac{2}{13}, \frac{4}{13}\right)$$

20.
$$(2, -1, 1)$$

$$22. (2, 3, -2)$$

$$23. (-2, -1, -3)$$

$$27. (5, -2, 0)$$

31.
$$m \angle P = 32^{\circ}$$

 $m \angle Q = 96^{\circ}$
 $m \angle R = 52^{\circ}$

35.
$$\left(\frac{1}{2}, 2, -3\right)$$

36.
$$(-2, -1, 12)$$

$$41. (0, 2, -3)$$

He placed \$2200 in the savings account, \$4400 in government bonds, and \$3400 in the mutual fund.

$$\begin{cases} x + y + z = 6 \\ 2x - y + 2z = 6 \end{cases}$$

$$3x + 3y + z = 12$$

44. ① $\int x + 2y = 180$

②
$$\begin{cases} y + z = 180 \end{cases}$$

$$3 | 5z = 540$$

solution is x = 36, y = 72, z = 108

45. Let E, F, and V represent the number of edges, faces, and vertices, respectively. From the first statement, E = 5F. But since each edge is part of two faces, this counts each edge twice.

So $E = \frac{5}{2}F$. Since every face has 5 vertices and every vertex is

shared by 3 faces, 3V=5F , or $V=\frac{5}{3}F$. Euler's formula:

V+F=E+2. Solving this system of 3 equations yields E=30, F=12, and V=20.

- 46. $\frac{3}{2}$
- 47. $\frac{3}{2}$
- 48. 33
- 49. 144 mezzanine seats
- 50. P = 12 is maximized at (0, 4).
- 51. $x \ge -\frac{3}{2}$
- 52. $x \le -18$ -20 -12 -4 0 4
- 54. $\left(7, \frac{5}{4}\right)$
- 55. dependent system; infinite number of solutions,

$$\left\{ \left(x, \ y \right) \middle| y = -\frac{1}{2}x - \frac{3}{4} \right\}$$

56. inconsistent system; no solution

Algebra 2

Lesson 3-6 - Practice and Problem-Solving Exercises Answers

8. 7

9. 1

10. 6

11. 8

 $\begin{bmatrix}
12. & 1 & 2 & 11 \\
2 & 3 & 18
\end{bmatrix}$

 $\begin{bmatrix}
3 & 2 & 16 \\
0 & 1 & 5
\end{bmatrix}$

 $\begin{bmatrix} 2 & -3 & 6 \\ 1 & 1 & 2 \end{bmatrix}$

 $\begin{bmatrix}
1 & -1 & 1 & 150 \\
2 & 0 & 1 & 425 \\
0 & 1 & 3 & 0
\end{bmatrix}$

 $\begin{bmatrix}
-3 & 1 & | & -7 \\
1 & 0 & | & 2
\end{bmatrix}$

 $\begin{bmatrix}
1 & -1 & 1 & 0 \\
1 & -2 & -1 & 5 \\
2 & -1 & 2 & 8
\end{bmatrix}$

 $\begin{cases}
 x = 4 \\
 y = -6
\end{cases}$

 $\begin{cases}
5x + y = -3 \\
-2x + 2y = 4
\end{cases}$

 $\begin{cases} -x + 2y = -6 \\ x + y = 7 \end{cases}$

21. $\begin{cases} 2x + y + z = 1 \\ x + y + z = 2 \\ x - y + z = -2 \end{cases}$

22. $\begin{cases} y + 2z = 4 \\ -2x + 3y + 6z = 9 \\ x + z = 3 \end{cases}$

23. $\begin{cases} 5x + 2y + z = 5 \\ 4x + y + 2z = 8 \\ x + 3y - 6z = 2 \end{cases}$

24. (2, 1)

25. (-1, 0)

26. $\left(\frac{1}{2}, 20\right)$

27. (4, 6)

28. (6, 0)

29. (2, 3)

30. $\begin{cases} 5e + 2p = 0.23 \\ 7e + 5p = 0.41 \end{cases}$ $\begin{bmatrix} 5 & 2 & 0.23 \\ 7 & 5 & 0.41 \end{bmatrix}$

31. \$10,000 at 4% and \$15,000 at 6%. Let x = amount invested at 4% and y = amount invested at 6%.

 $\begin{cases} x + y = 25,000 \\ 0.04x + 0.06y = 1300 \end{cases}$ $\begin{bmatrix} 1 & 1 & 25,000 \\ 0.04 & 0.06 & 1300 \end{bmatrix} = \begin{bmatrix} 1 & 0 & 10,000 \\ 0 & 1 & 15,000 \end{bmatrix}$

32. (1, 1, 0)

33. (3, 1, 1)

34. no unique solution

35. (35, -22, -16)

36.
$$(3, 2, 1)$$

38a. Let x = weight of almonds at \$2.45/lb, y = weight of hazelnuts at \$1.85/lb and z = weight of raisins at \$0.80/lb x + y + z = 9; the total weight of the nuts and raisins is 9 lbs 2.45x + 1.85y + 0.80z = 15; the total cost of the nuts and raisins is \$15 x + y = 2z; twice as much of the nuts as the raisins by weight or the total weight of the nuts is equal to twice the weight of the

38b.
$$(2.5, 3.5, 3)$$

raisins

- 38c. 2.5 lb almonds, 3.5 lb hazelnuts, and 3 lb raisins
- 39. (2, 3)
- 40. There is no solution for y. The only solution is x = 2.
- 41. 1 quart of red paint: \$7.75; 1 quart of yellow paint: \$5.75
- 42. 14
- 43. Answers may vary. Sample: 0; 0
- 44. Answers may vary. Sample: 0; 1
- 45. (8, 2)
- 46. (5, -10)
- 47. $\left(\frac{1}{8}, -\frac{1}{17}\right)$
- 48. C
- 49. G

0.
$$y = 7x - 3$$

 $-6x + y = 2$
 $-6x + (7x - 3) = 2$
 $x - 3 = 2$
 $x = 5$
 $y = 7(5) - 3$
 $y = 32$
 $(5, 32)$

51.
$$x \le -\frac{3}{2}$$

52.
$$x \ge -35$$

53.
$$x \ge 4$$
2 3 4 5 6

54.
$$\frac{15}{2}$$
, $-\frac{9}{2}$

57.
$$y = 2x$$

58.
$$y = \frac{1}{3}x$$